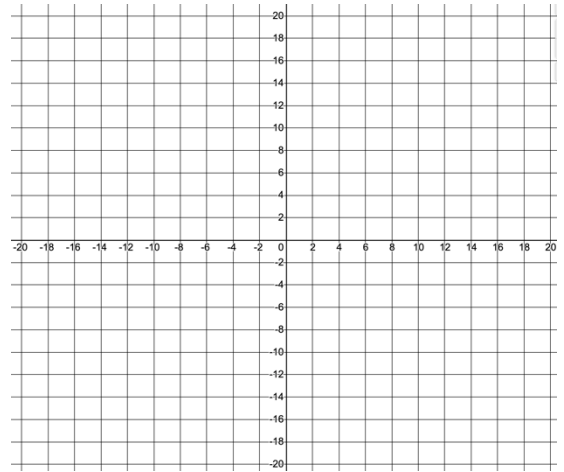
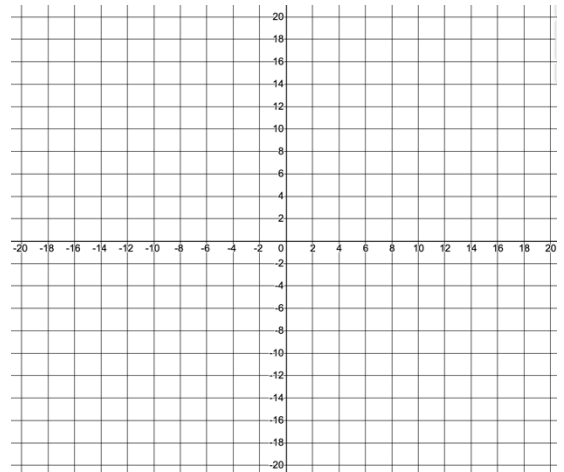


1) Given the following quadratic equations, determine the **i)**  $x$ -intercepts using the zero product rule, **ii)** the axis of symmetry, **iii)** the vertex **iv)** graph the quadratic

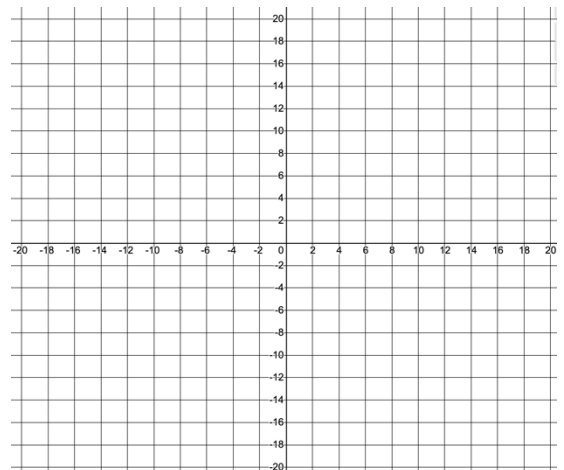
**a)**  $y = (x + 3)(x - 1)$



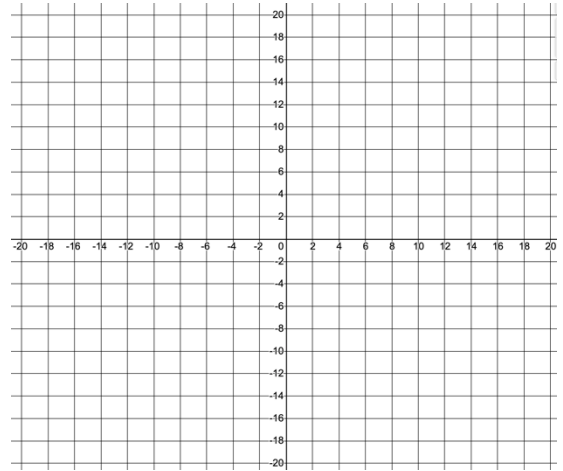
**b)**  $y = 2(x + 4)(x - 2)$



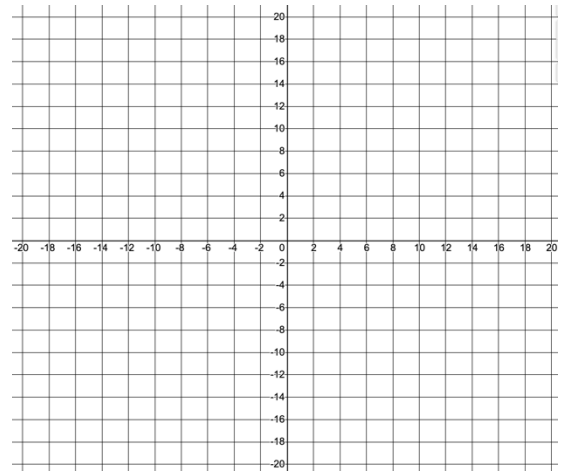
**c)**  $y = -\frac{1}{2}(x + 2)(x - 6)$



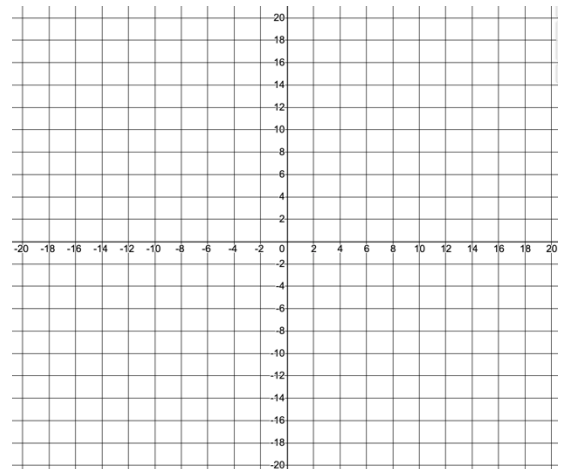
**d)**  $y = 3x(x - 4)$



**e)**  $y = 2x^2 + x - 10$

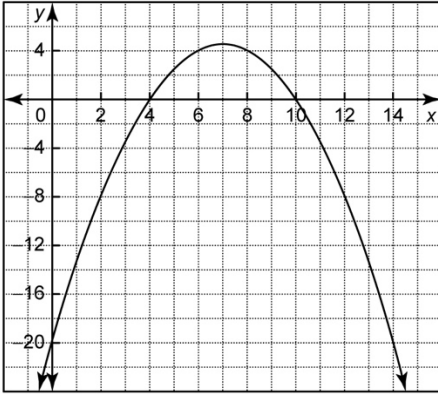


**f)**  $y = \frac{1}{4}(4x - 3)(x - 6)$

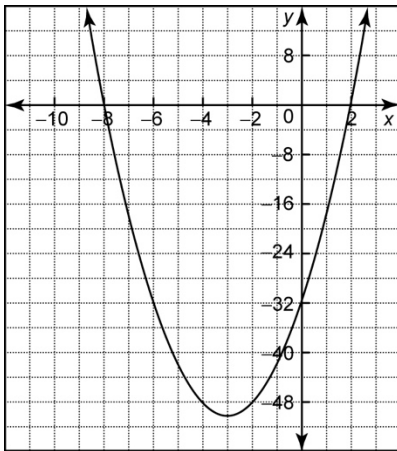


2) Determine an equation in factored form to represent each parabola shown on the graph.

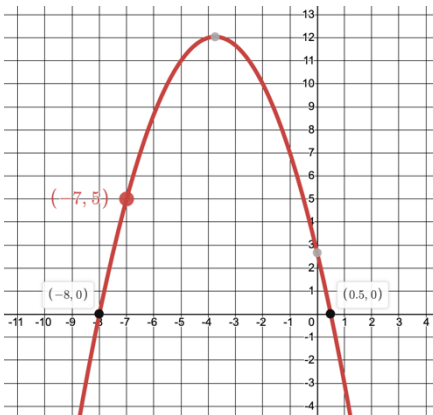
a)



b)



c)



**3)** A parabola has  $x$ -intercepts  $-2$  and  $-8$ , and has vertex  $(-5, -18)$ . Determine the equation of this parabola in the form  $y = a(x - r)(x - s)$

**4)** A parabola has  $x$ -intercepts  $3$  and  $7$ , and has vertex  $(5, 2)$ . Determine the equation of this parabola in factored form.

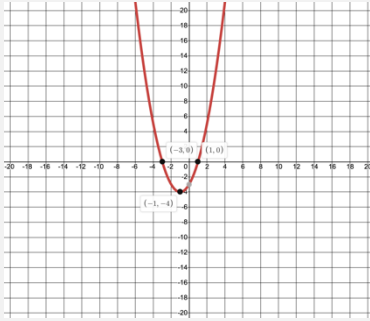
**5)** Determine the  $x$ -intercepts of each of the following functions.

**a)**  $y = x^2 + 5x - 24$

**b)**  $y = x^2 - 11x + 10$

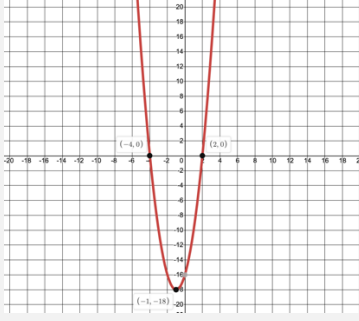
## Answers

1)a)



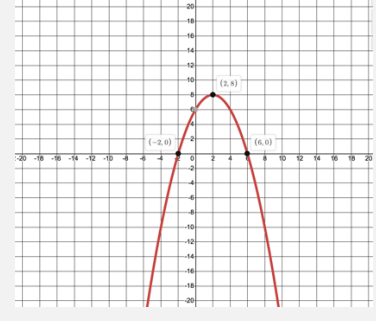
**x-int:**  $(-3,0), (1,0)$   
**axis of symmetry:**  $x = -1$   
**vertex:**  $(-1, -4)$

b)



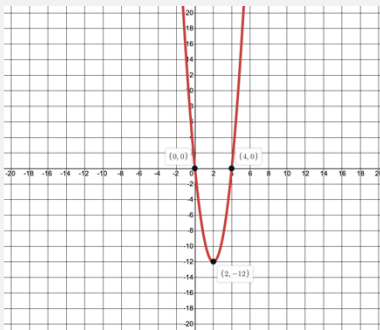
**x-int:**  $(-4,0), (2,0)$   
**axis of symmetry:**  $x = -1$   
**vertex:**  $(-1, -18)$

c)



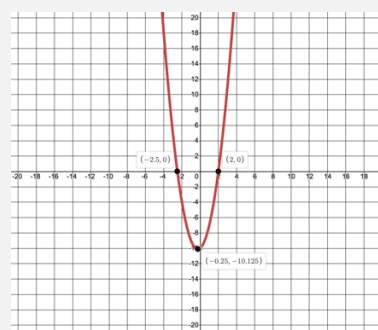
**x-int:**  $(-2,0), (6,0)$   
**axis of symmetry:**  $x = 2$   
**vertex:**  $(2,8)$

d)



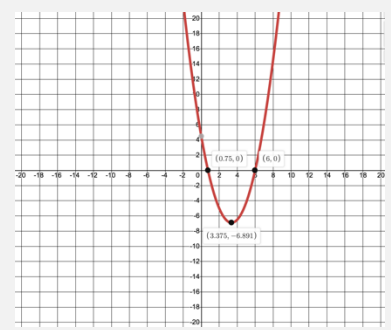
**x-int:**  $(0,0), (4,0)$   
**axis of symmetry:**  $x = 2$   
**vertex:**  $(2, -12)$

e)



**x-int:**  $(-2.5,0), (2,0)$   
**axis of symmetry:**  $x = -0.25$   
**vertex:**  $(-0.25, -10.125)$

f)



**x-int:**  $(0.75,0), (6,0)$   
**axis of symmetry:**  $x = 3.375$   
**vertex:**  $(3.375, -6.891)$

**2)a)**  $y = -\frac{1}{2}(x - 4)(x - 10)$  **b)**  $y = 2(x + 8)(x - 2)$  **c)**  $y = -\frac{1}{3}(2x - 1)(x + 8)$

**3)**  $y = 2(x + 2)(x + 8)$

**4)**  $y = -\frac{1}{2}(x - 3)(x - 7)$

**5)a)**  $(-8,0)$  and  $(3,0)$  **b)**  $(10,0)$  and  $(1,0)$